

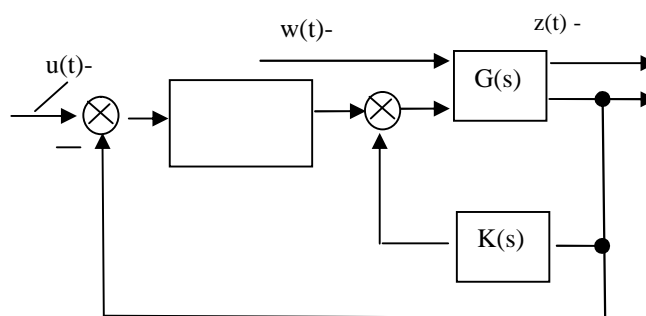
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[1-6]

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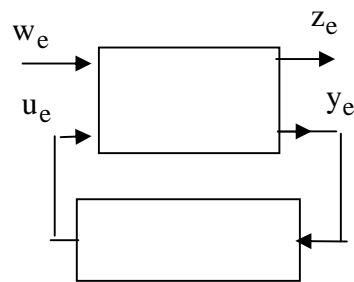
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[1]:

$$\begin{aligned}\dot{\underline{x}}_s &= \underline{A}_s \underline{x}_s + \underline{B}_{1e} \underline{w}_e + \underline{B}_{2e} \underline{u}_e \\ \underline{z}_e &= \underline{C}_{1e} \underline{x}_s + \underline{D}_{12e} \underline{u}_e \\ \underline{y}_e &= \underline{C}_{2e} \underline{x}_s + \underline{D}_{2e} \underline{w}_e\end{aligned}$$

\underline{x}_s – n- (; \underline{u}_e – p-
; \underline{w}_e –
; \underline{A}_s – ; \underline{B}_{2e} –
; \underline{B}_{1e} – ; \underline{y}_e –



, \underline{z}_e – (, \underline{C}_{1e} , \underline{C}_{2e} , \underline{D}_{1e} , \underline{D}_{2e} –

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$$J = \int_0^{\infty} \frac{1}{2} \left(\underline{z}(t)^T \cdot \underline{z}(t) - \gamma^2 \cdot \underline{w}(t)^T \cdot \underline{w}(t) \right) dt,$$

γ - , ... ,

[2]

$$\underline{K}_{\infty}(s) = \begin{bmatrix} \underline{A}_K & \underline{B}_K \\ \underline{C}_K & \underline{D}_K \end{bmatrix} = \begin{bmatrix} \underline{A}'_{\infty} & -\underline{Z}_{\infty} \underline{L}_{\infty} \\ \underline{F}_{\infty} & 0 \end{bmatrix},$$

$$\begin{aligned}\underline{Z}_{\infty} &= (\underline{I} - \gamma^{-2} \underline{Y}_{\infty} \underline{X}_{\infty})^{-1}; \underline{A}'_{\infty} = \underline{A} + \gamma^{-2} \underline{B}_1 \underline{B}_1^T \underline{X}_{\infty} + \underline{B}_2 \underline{F}_{\infty} + \underline{Z}_{\infty} \underline{L}_{\infty} \underline{C}_2 \\ \underline{F}_{\infty} &= -\underline{B}_2^T \cdot \underline{X}_{\infty}; \underline{L}_{\infty} = -\underline{Y}_{\infty} \underline{C}_2^T.\end{aligned}$$

$$\rho(X_\infty, Y_\infty) < \gamma^2,$$

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$$\underline{X}_\infty \quad \underline{Y}_\infty$$

[1]

$$\underline{H}_\infty = \begin{bmatrix} \underline{A}_e & \underline{B}_{2e} \underline{B}_{2e}^T - {}^{-2} \underline{B}_{1e} \underline{B}_{1e}^T \\ -\underline{C}_{1e}^T \underline{C}_{1e} & -\underline{A}_e^T \end{bmatrix}$$

$$\underline{J}_\infty = \begin{bmatrix} \underline{A}_e^T & \underline{C}_{2e}^T \underline{C}_{2e} - {}^{-2} \underline{C}_{1e}^T \underline{C}_{1e} \\ -\underline{B}_{1e} \underline{B}_{1e}^T & -\underline{A}_e \end{bmatrix}.$$

$$\underline{X}_\infty$$

$$\underline{A}_T \underline{X}_\infty + \underline{X}_\infty \underline{A} - \underline{X}_\infty (\underline{B}_2 \underline{B}_2^T - {}^{-2} \underline{B}_1 \underline{B}_1^T) \underline{X}_\infty + \underline{C}_1^T \underline{C}_1 = 0.$$

$$\underline{H}_\infty$$

$$\underline{w}_e.$$

$$\underline{Y}_\infty$$

$$\underline{A}_T \underline{Y}_\infty + \underline{Y}_\infty \underline{A} - \underline{Y}_\infty (\underline{C}_2 \underline{C}_2^T - {}^{-2} \underline{C}_1 \underline{C}_1^T) \underline{Y}_\infty + \underline{B}_1 \underline{B}_1^T = 0$$

$$\underline{J}_\infty$$

$$(\quad),$$

[3].

$$m_{Mnep}.$$

$$n_{1nep}$$

$$H_\infty -$$

$$\beta_i.$$

$$\beta_{m_w}, \beta_{n1}, \beta_{n2}, \beta_{nu}$$

$$\begin{aligned}
\begin{bmatrix} \bullet \\ n_1 \\ m_w \\ n_2 \\ m_M \\ x_{III} \end{bmatrix} &= \begin{bmatrix} 0 & -\frac{1}{T_M} & 0 & \frac{1}{T_M} & 0 \\ \frac{T_M}{(1+k_n) \cdot T_e^2} & 0 & -\frac{T_M}{(1+k_n) \cdot T_e^2} & 0 & 0 \\ 0 & \frac{k_n}{T_M} & 0 & 0 & 0 \\ -\frac{K_p}{T_{el}} & 0 & 0 & -\frac{1}{T_{el}} & \frac{1}{T_{el}} \\ -\frac{K_p}{T_I} & 0 & 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} n_1 \\ m_w \\ n_2 \\ m_M \\ x_{III} \end{bmatrix} + \\
&+ \begin{bmatrix} 0 \\ 0 \\ 0 \\ 0 \\ -\frac{1}{T_{el}} \end{bmatrix} \cdot m_{u,H_\infty} + \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & -\frac{k_n}{T_M} & 0 & 0 \\ \frac{K_p}{T_{el}} & 0 & 0 & 0 \\ \frac{K_p}{T_I} & 0 & 0 & 0 \end{bmatrix} \cdot \begin{bmatrix} n_u \\ m_H \\ n_{1nep} \\ m_{Mnep} \end{bmatrix} . \\
z_e = \underline{C}_{1e} \underline{x}_s + \underline{D}_{12} \underline{u}_e &= \begin{bmatrix} 0 & 0 & 0 & 0 & 0 \\ 0 & \beta_{m_w} & 0 & 0 & 0 \\ \beta_{n1} & 0 & 0 & 0 & 0 \\ 0 & 0 & \beta_{n2} & 0 & 0 \end{bmatrix} \underline{x}_s + \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix} \underline{w}_e + \begin{bmatrix} \beta_{n,u} \\ 0 \\ 0 \\ 0 \end{bmatrix} \underline{u}_s .
\end{aligned}$$

β

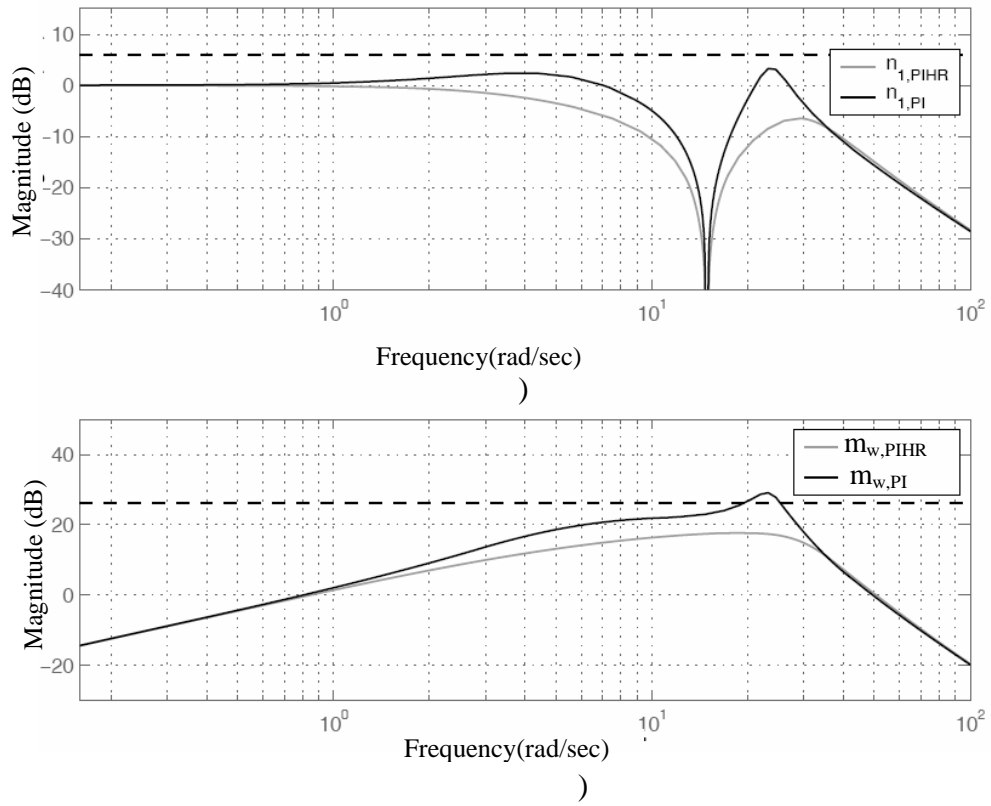
$m^* = \beta \cdot m$,

$\beta_H = \frac{\bar{\sigma}(W_{n_u \rightarrow m_w})}{\bar{\sigma}(W_{m_H \rightarrow m_w})}$ -

$$(\bar{\sigma}(W_{n_u \rightarrow m_w}))$$

$$(\bar{\sigma}(W_{m_H \rightarrow m_w})).$$

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$$\underline{y}_e = \begin{bmatrix} n_{1,nep} \\ m_{M,nep} \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \end{bmatrix} \cdot \begin{bmatrix} n_1 \\ m_w \\ n_2 \\ m_M \\ x_{PI} \end{bmatrix} + \begin{bmatrix} 0 & 0 & k_{n,nep} & 0 \\ 0 & 0 & 0 & k_{m,nep} \end{bmatrix} \cdot \begin{bmatrix} n_u \\ m_H \\ n_{nep} \\ m_{nep} \end{bmatrix}$$

, y_e ,
 H_∞ - , :

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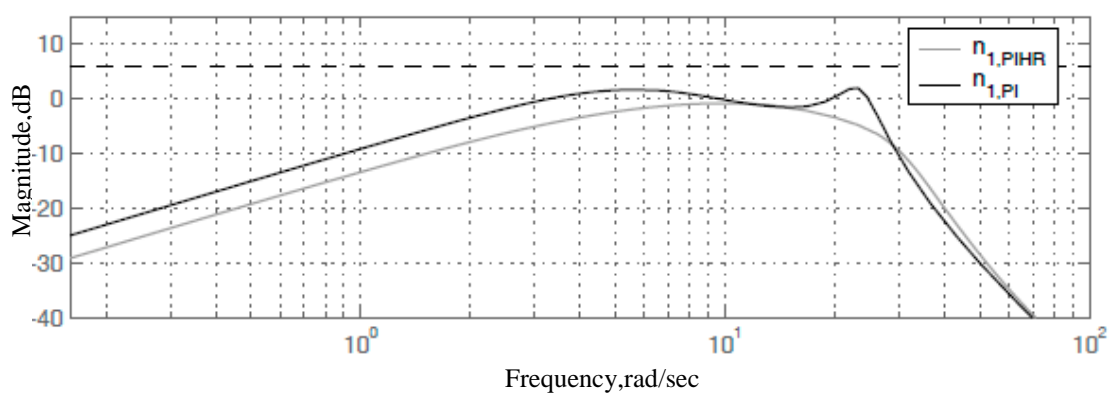
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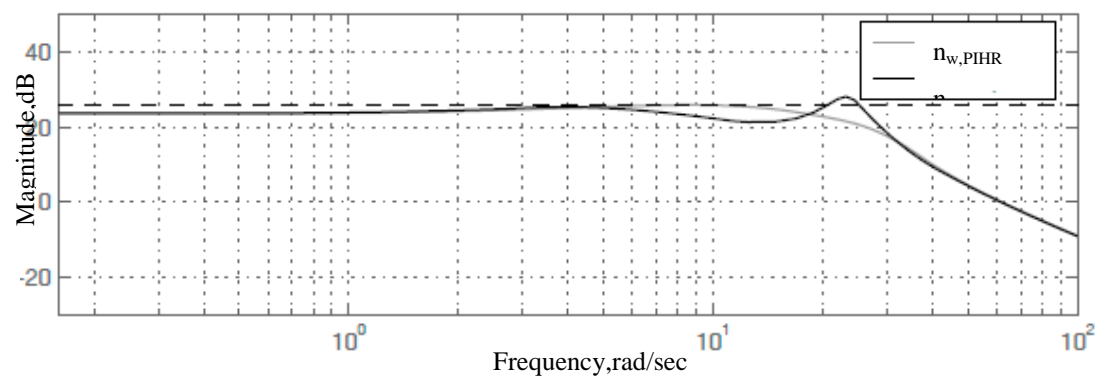
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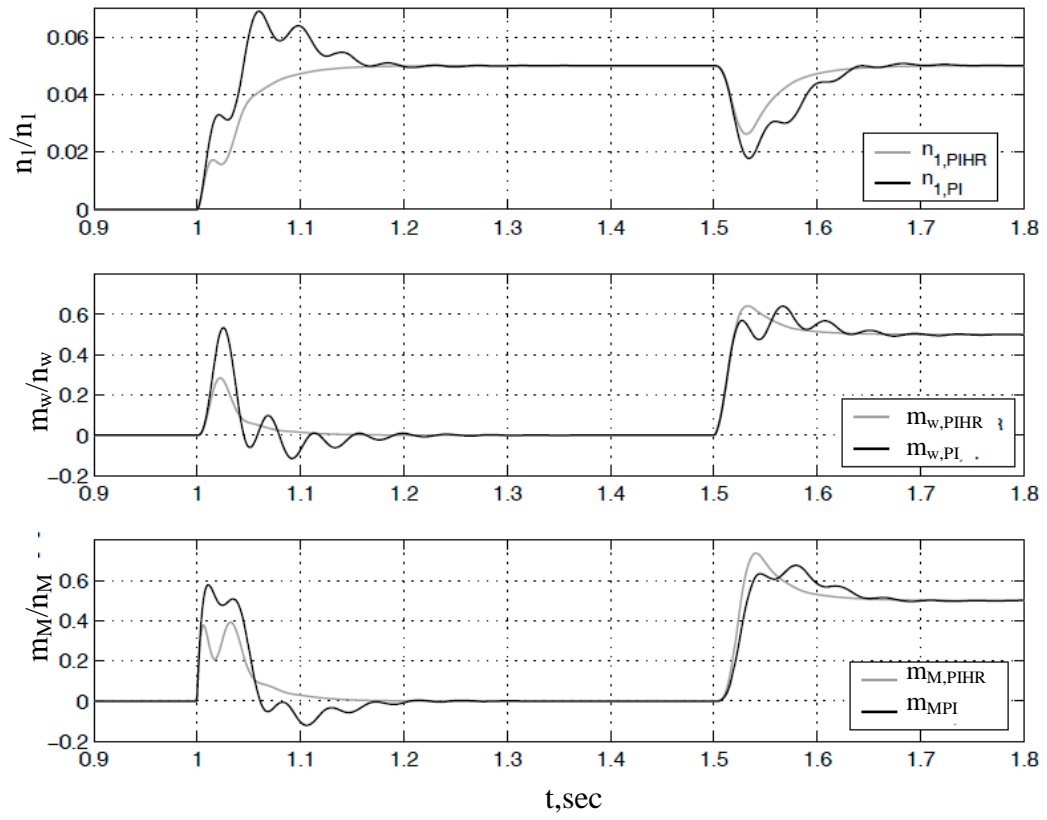
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**S. Baluta, T. Nikitina,
L. Kopilova, M. Tatarchenko**
**THE SYNTHESIS OF ROBUST SPEED CON-
TROL TWO-MASS ELECTROMECHANICAL
SYSTEM**

The algorithm of effective stabilization speed two-mass electromechanical system that operates at the sudden change in loads are presented. Results of dynamic descriptions comparison of synthesized robust control system with the traditional system are presented. Found that H_∞ -theory application for rotation speed of twomass electromechanics system synthesis allows to get the best dynamic descriptions compared to the system with model regulators

Key words: twomass electromechanics system, robust H_∞ control system, transfer function singularity values.

15.04.2013 .